

CLASS 11 PHYSICS — FORMULA SHEET

Chapter 2 : Motion in a Straight Line (NCERT)

2.1 Basic Terms — Distance, Displacement, Speed, Velocity

Quantity	Definition / Formula
Distance (path length)	Total length of path travelled; scalar; always ≥ 0
Displacement (Δx)	$\Delta x = x_2 - x_1$; shortest straight-line change in position; vector
Average speed	= Total distance $\div$ Total time (scalar, always ≥ 0)
Average velocity	$v_{\text{avg}} = \Delta x \div \Delta t = (x_2 - x_1) \div (t_2 - t_1)$ (vector)
Instantaneous velocity	$v = dx/dt$ (slope of x - t graph at a point)
Instantaneous speed	Magnitude of instantaneous velocity
$ \text{Displacement} \leq \text{Distance}$	Equal only when motion is along a straight line without reversing

2.2 Acceleration

Quantity	Formula
Average acceleration	$a_{\text{avg}} = \Delta v \div \Delta t = (v_2 - v_1) \div (t_2 - t_1)$
Instantaneous acceleration	$a = dv/dt = d^2x/dt^2$
a in terms of position	$a = v (dv/dx)$
Uniform motion	$a = 0$, velocity constant (x - t graph is a straight line)
Uniformly accelerated motion	$a = \text{constant}$ (v - t graph is a straight line)
Retardation	Negative acceleration (a opposite to v)

2.3 Equations of Motion (Uniform Acceleration)

Equation	Use / Note
$v = u + at$	Velocity after time t (no displacement needed)
$s = ut + \frac{1}{2}at^2$	Displacement in time t
$v^2 = u^2 + 2as$	Relates velocity & displacement (no time)
$s = \frac{1}{2}(u + v)t$	Displacement from average velocity
$s_{\text{nth}} = u + (a/2)(2n - 1)$	Displacement in the n -th second only
Sign convention	Take one direction +ve; u, v, a, s carry signs accordingly

2.4 Motion Under Gravity (Free Fall, $a = g$)

Situation	Equation (taking $g = 9.8 \text{ m/s}^2$, downward +ve)
Dropped from rest ($u = 0$)	$v = gt$; $h = \frac{1}{2}gt^2$; $v^2 = 2gh$
Thrown down (initial speed u)	$v = u + gt$; $h = ut + \frac{1}{2}gt^2$
Thrown up (u , taking up +ve, $a = -g$)	$v = u - gt$; $h = ut - \frac{1}{2}gt^2$

Situation	Equation (taking $g = 9.8 \text{ m/s}^2$, downward +ve)
Max height (thrown up)	$H = u^2 \div (2g)$
Time of ascent = time of descent	$t = u \div g$ (each); total time of flight = $2u \div g$
Velocity on return to start	Equal in magnitude to u (opposite direction)

2.5 Graphs in Motion

Graph	What its Slope / Area Gives
Position–time ($x-t$)	Slope = velocity ; straight line = uniform velocity
Velocity–time ($v-t$): slope	Slope = acceleration
Velocity–time ($v-t$): area	Area under curve = displacement
Acceleration–time ($a-t$): area	Area under curve = change in velocity
$x-t$ for uniform acceleration	Parabola (curved)
$v-t$ for uniform acceleration	Straight inclined line

2.6 Relative Velocity (1-D)

Concept	Formula
Velocity of A relative to B	$V_{AB} = V_A - V_B$
Velocity of B relative to A	$V_{BA} = V_B - V_A = -V_{AB}$
Same direction	Relative speed = $ V_A - V_B $
Opposite directions	Relative speed = $ V_A + V_B $
Time to meet (separation d)	$t = d \div v_{\text{relative}}$

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3 main equations	' $v = u + at$, $s = ut + \frac{1}{2}at^2$, $v^2 = u^2 + 2as$ ' — memorise these three first.
When to use which	No $s \rightarrow$ use $v = u + at$; no $t \rightarrow$ use $v^2 = u^2 + 2as$; need $s \rightarrow s = ut + \frac{1}{2}at^2$.
s in n -th second	$s_n = u + (a/2)(2n - 1)$ — note it's a DISTANCE in 1 s, not total displacement.
Up-throw symmetry	Time up = time down ; speed at launch = speed on return.
Max height	$H = u^2/2g$; total flight time = $2u/g$ (thrown straight up).
Graph slopes	$x-t$ slope = velocity ; $v-t$ slope = acceleration ; $v-t$ area = displacement.
Sign convention	Fix +ve direction FIRST, then give u , v , a , s their correct signs.
Relative velocity	Same way $\rightarrow$ subtract speeds ; opposite ways $\rightarrow$ add speeds.