

CLASS 11 CHEMISTRY — FORMULA SHEET

Chapter 6 : Equilibrium (NCERT)

6.1 Equilibrium Constants (K_c & K_p)

Concept	Formula / Expression
For $aA + bB \rightleftharpoons cC + dD$	$K_c = \frac{[C]^c[D]^d}{[A]^a[B]^b}$ (concentrations at equilibrium)
K_p (gaseous)	$K_p = \frac{(P_C^c \times P_D^d)}{(P_A^a \times P_B^b)}$
Relation $K_p \leftrightarrow K_c$	$K_p = K_c (RT)^{\Delta n}$; $\Delta n = (\text{moles gaseous products} - \text{moles gaseous reactants})$
When $\Delta n = 0$	$K_p = K_c$ (equal gas moles on both sides)
Units	K is dimensionless when $\Delta n = 0$; otherwise has units
Reaction reversed	$K' = 1/K$
Reaction $\times n$	$K' = K^n$
Reactions added	$K = K_1 \times K_2$ (multiply individual constants)
Pure solids & liquids	Taken as 1 (excluded from K expression)

6.2 Reaction Quotient & Equilibrium Predictions

Concept	Rule
Reaction quotient (Q)	Same expression as K but with non-equilibrium concentrations
$Q < K$	Forward reaction proceeds (more products form)
$Q > K$	Reverse reaction proceeds (more reactants form)
$Q = K$	System is at equilibrium (no net change)
Magnitude of K	$K > 10^3 \rightarrow$ products dominate ; $K < 10^{-3} \rightarrow$ reactants dominate ; in between $\rightarrow$ comparable
Link to Gibbs energy	$\Delta G^\circ = -RT \ln K = -2.303 RT \log K$; $\Delta G^\circ < 0 \rightarrow K > 1$

6.3 Le Chatelier's Principle

Disturbance	Equilibrium Shift
Add reactant	Shifts FORWARD
Add product	Shifts BACKWARD
Increase pressure ($\downarrow$ volume)	Shifts toward side with FEWER gas moles
Decrease pressure ($\uparrow$ volume)	Shifts toward side with MORE gas moles
Increase temperature	Shifts in ENDOTHERMIC direction (K changes)
Decrease temperature	Shifts in EXOTHERMIC direction (K changes)
Add inert gas at constant V	NO shift (partial pressures unchanged)
Add inert gas at constant P	Shifts toward side with MORE gas moles
Add catalyst	NO shift; only reaches equilibrium FASTER (K unchanged)

6.4 Acids & Bases — Concepts

Concept	Definition
Arrhenius	Acid gives H^+ in water ; Base gives OH^- in water
Bronsted–Lowry	Acid = proton (H^+) donor ; Base = proton acceptor
Conjugate pair	Acid – $H^+ \rightarrow$ conjugate base ; differ by one proton (e.g. HCl/Cl^-)
Lewis	Acid = electron-pair acceptor ; Base = electron-pair donor
Strong vs weak	Strong acids/bases ionise completely; weak ones partially (have K_a/K_b)
Strong acids (memorise)	$HCl, HBr, HI, HNO_3, H_2SO_4, HClO_4$

6.5 Ionisation of Water, pH Scale

Concept	Formula
Ionic product of water	$K_w = [H^+][OH^-] = 1.0 \times 10^{-14}$ at 298 K
pH definition	$pH = -\log[H^+]$; $pOH = -\log[OH^-]$
pH + pOH	$pH + pOH = 14$ (at 298 K only)
Neutral / acidic / basic	$pH = 7$ neutral ; $pH < 7$ acidic ; $pH > 7$ basic (at 298 K)
$[H^+]$ from pH	$[H^+] = 10^{-pH}$
pK _w	$pK_w = pH + pOH = 14$

6.6 Weak Acids/Bases — Ostwald's Dilution Law

Concept	Formula
Acid ionisation constant	$K_a = C\alpha^2/(1-\alpha) \approx C\alpha^2$ (when $\alpha \ll 1$)
Degree of dissociation	$\alpha = \sqrt{(K_a/C)}$
$[H^+]$ of weak acid	$[H^+] = C\alpha = \sqrt{(K_a \times C)}$
$[OH^-]$ of weak base	$[OH^-] = \sqrt{(K_b \times C)}$
pK _a , pK _b	$pK_a = -\log K_a$; $pK_b = -\log K_b$
Conjugate pair relation	$K_a \times K_b = K_w \rightarrow pK_a + pK_b = 14$
Stronger acid	Larger K_a / smaller pK_a

6.7 Buffers & Salt Hydrolysis

Type	Formula
Acidic buffer (Henderson)	$pH = pK_a + \log([Salt]/[Acid])$
Basic buffer (Henderson)	$pOH = pK_b + \log([Salt]/[Base])$
Salt of weak acid + strong base	Basic solution: $pH = 7 + \frac{1}{2}(pK_a + \log C)$

Type	Formula
Salt of strong acid + weak base	Acidic solution: $\text{pH} = 7 - \frac{1}{2}(\text{pK}_b + \log C)$
Salt of weak acid + weak base	$\text{pH} = 7 + \frac{1}{2}(\text{pK}_a - \text{pK}_b)$
Salt of strong acid + strong base	Neutral ($\text{pH} = 7$), no hydrolysis (e.g. NaCl)

6.8 Solubility Product (K_{sp})

Salt Type	K _{sp} Expression (S = molar solubility)
General A _x B _y	$K_{sp} = (xS)^x(yS)^y = x^x y^y S^{(x+y)}$
AB type (AgCl, BaSO ₄)	$K_{sp} = S^2 \rightarrow S = \sqrt{K_{sp}}$
AB ₂ or A ₂ B (CaF ₂ , Ag ₂ CrO ₄)	$K_{sp} = 4S^3$
AB ₃ or A ₃ B	$K_{sp} = 27S^4$
A ₂ B ₃ (Bi ₂ S ₃)	$K_{sp} = 108S^5$
Precipitation condition	Ionic product (Q) > K _{sp} → precipitate forms ; Q = K _{sp} → saturated ; Q < K _{sp} → unsaturated
Common ion effect	Adding a common ion DECREASES solubility (shifts equilibrium back)

★ QUICK MEMORY AIDS & TRICKS

6 strong acids	HCl, HBr, HI, HNO ₃ , H ₂ SO ₄ , HClO ₄ → 'Have Brought In Nice Sulphuric Perchloric'.
K _p = K _c when	$\Delta n = 0$ (equal gas moles both sides). Otherwise multiply by $(RT)^{\Delta n}$.
Q vs K	'Q Less → goes Forward, Q More → reverses.' (Q < K forward, Q > K backward)
K _a × K _b = K _w	→ $\text{pK}_a + \text{pK}_b = 14$. Stronger acid → weaker conjugate base.
K _{sp} shortcuts	AB → S ² ; AB ₂ /A ₂ B → 4S ³ ; AB ₃ → 27S ⁴ ; A ₂ B ₃ → 108S ⁵ .
Le Chatelier inert gas	Constant V → no shift ; constant P → shifts to MORE moles side.
Salt pH rule	Weak acid salt → basic ; weak base salt → acidic ; both strong → neutral.
Buffer best when	$\text{pH} = \text{pK}_a$ (equal salt & acid → max buffer capacity).